Algorithm for searching out similar ships within expert system of computer aided preliminary design of ship power plant

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ABSTRACT



This paper presents an algorithm for searching out similar ships, implemented in a hybrid system for aiding preliminary design of ship power plant, based on new similarity functions as well as those adapted from literature sources. For searching out similar ships a multicriterial optimization method of weighed profits was applied.

Keywords: artificial intelligence, neural networks, expert systems, similarity functions, CBR method, multi-criterial optimization, ship design aiding

INTRODUCTION

The elaborated algorithm of searching out similar ships was implemented in a hybrid system of aiding preliminary design of ship power plant with application of selected tools of artificial intelligence such as: Exsys Developer expert system with applied fuzzy logic. Access relational database as well as artificial neural network of back-propagation of errors. It is intended for aiding preliminary ship design process in which designs of similar existing ships are as a rule used.

To this end, the algorithm for searching out similar ships on the basis of introduced similarity functions (rectangular, trapezoidal, triangular, Gaussian) and those adopted from literature sources (that with lower limit, identity test, and fuzzy logic), was elaborated. For searching out similar ships a multi-criterial optimization method of weighing profits was applied.

Models for multi-criterial assessment of design solutions should be described by means of functions containing main ship design parameters.

If it is given the n-dimensional vector of searched parameters, x:

$$\mathbf{x} = [\mathbf{x}_1, \mathbf{x}_2, \dots \mathbf{x}_n]^{\mathrm{T}} \in \mathbf{R}^n, n \in \mathbf{N}$$
 (1)

which is assessed according to the m-dimensional vector of criteria (objective functions), f(x):

$$f(x) = [f_1(x), f_2(x), \dots f_m(x)]^T \in R^m, m \in N \quad (2)$$

and under assumption that the coordinates of the criterial vector are profit functions, then the multi-criterial optimization problem can be defined as the task of multi-criterial maximization of the profit vector:

$$\max f(\mathbf{x}) \tag{3}$$

In the optimum design process the following decisions can be taken:

- ➔ to select one solution and assume it the best
- to select a subset of solutions out of the set of optimum solutions
- to rank all solutions in the order from the best to the worst, i.e. to made their ranking list.

The multi-criterial optimization methods can be divided into:

- classical ones
- \succ ranking ones.

The classical methods consist in integration of many criteria into one. Among other, the weighed criteria method belongs to the classical multi-criterial optimization methods.

The weighed criteria method consists in reducing the multi-criterial optimization to that one-criterial by introducing a substitute criterion in the form of the weighed sum of criteria:

$$Z = \sum_{q=1}^{M} [w_q \cdot f_q(X)] \rightarrow MIN$$
⁽⁴⁾

where:

$$0 \le w_q \le 1 \tag{5}$$

$$\sum_{q=1}^{M} w_q = 1 \tag{6}$$

In the method a problem is to select a priori values of weighing factors of particular criteria, that may lead to differring solutions.

DESCRIPTION OF THE ALGORITHM FOR SEARCHING OUT SIMILAR SHIPS

The problem of searching out similar ships can be reduced to the task of multi-criterial optimization. Out of the available methods of solving multi-criterial optimization tasks the classical method of weighed profits was implemented. In the method the coordinates of vector of profits (partial similarities) are aggregated into one function of profits (summary similarity) by means of the following transformation:

$$pg(is) = w * pcz(is)$$
(7)

where:

		summary similarity
pcz(is)	_	vector of partial similarities
W	_	normalized row vector of weighing factors:
		$[w_1 w_2 w_{ip} w_{ip}], w_{ip} \in <0.1$ and $\Sigma w_{ip} = 1$ ship identifier
is	_	ship identifier
		index of ship parameter
lp	_	number of ship parameters
*	_	scalar product

The process of searching out similar ships begins from the determination of:

- ☆ parameters (database fields) of designed ship
- \mathbf{A} lower and upper limits and standard parameters: $(\mathbf{P}_{G}, \mathbf{P}_{D}, \mathbf{O}_{G}, \mathbf{O}_{D}).$

The searching out is realized on the basis of ship parameters considered as input data to the algorithm. Number of the parameters is limited and may be contained in the range from one to a few dozen.

Fig. 2 presents the example schematic diagram of the algorithm for searching out similar ships, in which the following blocks can be distinguished:

- block of similarity functions (rectangular, trapezoidal, triangular, Gaussian or that with lower limit)
- block of threshold functions which determine minimum ⇒ similarity limit for a given phase of searching process. Threshold value should be greater than zero and smaller than 1, (8)
- \Rightarrow block of products for realization of the weighed sum pg(is) = w * pcz(is)
- block of settings of similarity function parameters: kind of function, S(x), upper standard deviation (O_G) and lower one (O_p) , lower limit deviation (P_p) , and upper one (P_q)
- block of settings of the thresholds Pr[ip] and output control. In the case when any of the ship parameters is of a value below the assumed threshold then the considered ship is neglected
- block of determination of vector of parameter weighing factors.

Between values of partial similarities and the block of setting threshold values a feedback mechanism is applied to limit number of found similar events (ships) having too low similarity.

The elaborated algorithm for searching out similar ships was based on the application of the following similarity functions:

Rectangular function

In the case of finding the ships identical with the designed ship, design solutions of one of them are used for the design project under elaboration. The function is presented in Fig.1a. If in the database is no identical ships then other functions are applied to calculate similarity in the following sequence: trapezoidal, triangular, Gaussian, or that with lower limit - for numerical parameters, as well as the identity test (zero-one method) – for text parameters (such as e.g.: (type of main engine, name of its producer or type of screw propeller).

Trapezoidal function

For less stringent design requirements the algorithm can be started by assuming the trapezoidal function as an initial similarity function, shown in Fig. 1c, where: $(P_{G} - O_{G}) \ge (O_{D} - P_{D})$. The similarity in the interval from O_{D} to O_{G} is assumed equal 1, and linearly changing - below and over the interval.

Triangular function

The trapezoidal function can be transformed to the triangular one, either symmetrical or non-symmetrical $(P_{G} - p_{p}) > (p_{p} - P_{p})$, by assuming values of standard deviations equal zero, see Fig.1b. In the diagrams of trapezoidal and triangular functions different values of upper and lower deviations are assumed in order to show possible choice of asymmetry of the functions in question.

Gaussian function

The Gaussian function, in which asymmetry is also applied, provides the widest range of searching similar objects. It is presented in Fig. 1d.

Threshold function

It determines a minimum limit of similarity for a given phase of searching out process. Value of the threshold Pr should be greater than zero and smaller than 1 (Fig. 1f).

$$H(p_{z}) = p_{z}^{*}H(p_{z}-Pr)$$

where:

0 < Pr < 1, $H(p_{r})$ – unit jump function (8) $S_{pr}(p_{p,},p_z)$ $S_u(p_{p,z},p_z)$ p, p, P $P_{\rm d}$ p, p, Fig. 1b. Triangular function Fig. 1a. Rectangular function $S_{\scriptscriptstyle G}\!(p_{\scriptscriptstyle p,}\!,\!p_{\scriptscriptstyle z})$ $S_{_{t\!p}}\!(p_{_{p,}}\!,\!p_{_{z}}\!)$ p_z p, $\mathbf{P}_{\mathbf{G}}$ $P_{D} \stackrel{\bullet}{O}_{n} p_{p} \stackrel{\bullet}{O}_{a}$ $O_{D} p_{p} O_{n}$ Fig. 1c. Trapezoidal Fig. 1d. Gaussian function unsymmetrical function $S_{\tt dg}(p_{\tt p,},\!p_z)$ $H(p_z)$ p,

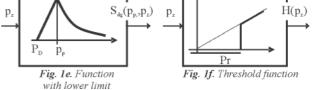


Fig. 1. Functions used in the algorithm for calculation of similarity of ships

where:

- value of designed ship parameter p_p
- p_z^r P_D P_G current value of existing ship
 - _ lower limit of value of the parameter p
 - _ upper limit of value of the parameter p_n
- O_D _ lower standard parameter
- $O_{_{\rm G}}$ upper standard parameter

as well as percentage values of deviations of these parameters:

$\Delta P_{\rm D}^{\rm T} = (p_{\rm p} - P_{\rm D})/p_{\rm p} *100\%$	 lower limit deviation,
$\Delta P_{G}^{D} = (p_{n}^{P} - P_{G}^{D})/p_{n}^{P} * 100\%$	 upper limit deviation, lower standard deviation, upper standard deviation.
$\Delta O_{\rm D} = (p_{\rm p} - O_{\rm D})/p_{\rm p} *100\%$	- lower standard deviation,
$\Delta O_{G}^{-} = (p_{p}^{r} - O_{G}^{-}) / p_{p}^{r} * 100\%$	– upper standard deviation.

The searching out of a similar ship is performed in the following phases:

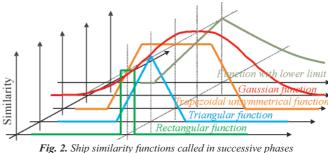
- Ships identical with the designed one are searched out by using the rectangular similarity function. If the set of similar ships is empty the phase 2 is realized.
- In the case of no identical ships the searching out process by using the triangular similarity function with decreased threshold values of threshold functions, is triggered. This can result in: the empty set of similar ships (then the phase 3 is realized) or the set containing from one to many similar ships.
- In the case of no similar ships the searching out process based on the trapezoidal similarity function is realized. If many similar ships are found then the threshold values of threshold functions are increased and the searching out process is repeated so as to reduce number of found ships down to a few at the most.
- When no similar ships are found the Gaussian similarity function is applied for further calculations and if it does not provide a result the phase 5 is realized.
- The similarity function with lower limit is applied. It is characterized by the feature that in searching out similar ships it takes into account broader and broader range of values of ship parameters over design value.

In the successive phases of the algorithm the similarity functions are called in the same sequence, shown in Fig. 2.

The above specified phases of searching out process are initiated automatically, however the designer is allowed to interfere in each of them.

 $S_{pr}(p_{p,p_z})$

The schematic diagram of the algorithm is presented in Fig. 3.



of the ship searching out algorithm

IMPLEMENTATION OF THE ALGORITHM FOR SEARCHING OUT SIMILAR SHIPS

The main function of the elaborated algorithm is to search similar ships out of the database. Number of such ships can be very different: from one to even a few dozen. The number results from applied similarity function as well as from size and content of the database and assumed design parameters such as ranges and thresholds of similarity function. The parameters are determined in advance by the designer before initiation of the process of searching out similar ships. Next, name of database file and designed ship's data should be put in. Then the process of calculation of similarity of particular parameters, such as main engine's power and its rotational speed, and of similarity of threshold function, is started. Final similarity of a parameter is obtained by calculating the weighed similarity of the parameter. The calculation process of weighed similarities of particular parameters is ended when all introduced ship parameters are taken into account, and their weighed sum constitutes a partial similarity (of main propulsion system, for example). Sum of the partial similarities constitutes the total

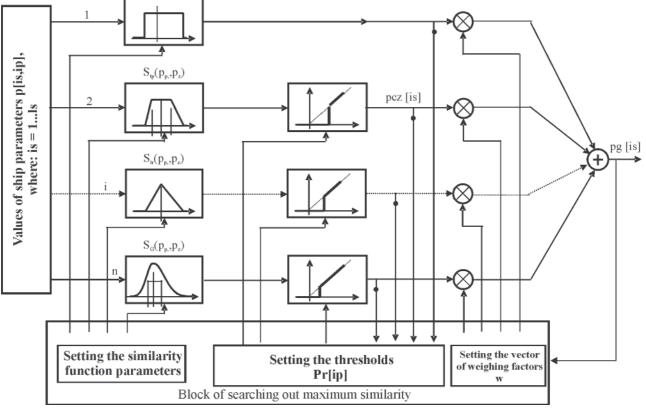


Fig. 3. Schematic diagram of the algorithm for searching out similar ships

weighed similarity of entire ship, on the basis of which similar ships are searched out.

For practical reasons it has been assumed that in the algorithm of searching out similar ships percentage values of deviations of parameters of most similar ships, from their input values, as well as p_n value, are applied, as shown in Tab. 2. To obtain real values of the parameters the following formulae are used:

$$P_{\rm D} = p_{\rm p} - \frac{p_{\rm p} * \Delta P_{\rm D}}{100} \tag{9}$$

$$O_{\rm D} = p_{\rm p} - \frac{p_{\rm p} * \Delta O_{\rm D}}{100} \tag{10}$$

$$P_G = p_p + \frac{p_p * \Delta P_G}{100} \tag{11}$$

$$O_G = p_p + \frac{p_p * \Delta O_G}{100} \tag{12}$$

where:

$\Delta P_{\rm D} = (p_{\rm p} - P_{\rm D})/p_{\rm p} *100\%$	 lower limit deviation,
$\Delta P_{\rm D} = (p_{\rm p} - P_{\rm D})/p_{\rm p} *100\%$ $\Delta P_{\rm G} = (p_{\rm p} - P_{\rm G})/p_{\rm p} *100\%$	 upper limit deviation,
$\Delta O_{\rm D}^{\nu} = (p_{\rm p}^{\nu} - O_{\rm D})/p_{\rm p}^{\nu} *100\%$	lower standard deviation,upper standard deviation.
$\Delta O_{\rm G} = (p_{\rm p}^{r} - O_{\rm G}) / p_{\rm p}^{r} * 100\%$	– upper standard deviation.

In Tab. 1 example values of more important parameters of the main propulsion system of designed ship are given.

Tab. 1. Values of design parameters of the ship main propulsion system (NG)									
Ship	Number of main engines (ME)	Type of ME	Producer of ME	ME output power [W]	Rotational speed of ME [rpm]	Number of propellers			
BXXX	1	6RTA76	SULZER	16500	110	1			

The elaborated functions for similarity calculation are presented and tested on the basis of two numerical parameters, i.e. ME output power and rotational speed. The analysis was performed for example values of the limit and standard deviations of the parameters as well as example values of their weighing factors, given in Tab. 2;

Tab. 2.	Values of weighing factors of design parameters
	of main propulsion system (NG)

(Variant 1)

ME output power [W]	Rotational speed of ME [rpm]	Number of main engines (ME)	Type of ME	Number of propellers	Producer of ME
0.3	0.2	0.2	0.1	0.1	0.1

as well as the limit and standard deviations, given in Tab. 3.

Tab. 3. Values of limit and standard deviations of design parameters of main propulsion system (NG)

Parameter	P _p	$\Delta \mathbf{P}_{\mathbf{D}}$ %	$\Delta \mathbf{O}_{\mathbf{D}}$ %	$\Delta \mathbf{P}_{\mathbf{G}}$ %	$\Delta \mathbf{O}_{\mathbf{G}}$ %
Power [kW]	16500	20	10	20	10
Rot.speed [rpm/min]	110	20	10	20	10

The summary similarities calculated by means of the database application according to particular functions, for assumed values of weighing factors, limit and standard deviations, are given in Tab. 4.

Tab. 4. Summary similarities of numerical parameters of main propulsion system (NG)

Ship	Power [kW]	Speed [rpm/min]	Pod NG with lower limit	Pod NG trapezoidal	Pod NG Gaussian	Pod NG triangular
124	18 160.00	110.00	0.47	0.50	0.31	0.35
41	18 160.00	110.00	0.47	0.50	0.31	0.35
60	18 160.00	110.00	0.47	0.50	0.31	0.35
18	17 400.00	122.00	0.46	0.48	0.28	0.31
109	17 400.00	122.00	0.46	0.48	0.28	0.31

The combined similarities of the NG obtained from summation of similarities of numerical and non-numerical parameters (calculated by using identity test method), are presented in Tab. 5.

Ship	Pod NG non-numerical	Pod with lower limit	Pod trapezoidal	Pod Gaussian	Pod triangular
60	0.30	0.77	0.80	0.61	0.65
41	0.30	0.77	0.80	0.61	0.65
124	0.30	0.77	0.80	0.61	0.65
109	0.30	0.76	0.78	0.58	0.61
18	0.30	0.76	0.78	0.58	0.61

Values of limit and standard deviations as well as weighing factors are of an example character and have been assumed arbitrarily on the basis of the designer's decision supported by his experience and practice. However the elaborated algorithm for calculation of ship similarity is of a versatile character and can be applied to arbitrary values of design parameters.

SUMMARY AND CONCLUSIONS

The functioning of the algorithm was analyzed on the basis of three example cases:

Case 1. Assumed symmetrical values of limit and standard deviations of numerical parameters (ME output power and rotational speed)

Case 2. Assumed greater values of upper limit deviation and upper standard deviation of both parameters in question

Case 3. Assumed symmetrical values of limit and standard deviations of one parameter (ME output power), and smaller values of lower limit and standard deviations, than those of upper ones, of other parameter (ME rotational speed).

On their basis the following detail conclusions can be drawn:

- In Case 1 symmetrical values of the limit and standard deviations of the considered numerical parameters (ME output power and rotational speed) were assumed. The applied increase of values of weighing factors of the selected non-numerical parameters (ME number and type) and the simultaneous decrease of values of the weighing factors of the selected numerical parameters, resulted in:
 - the increase of values of the summary similarity of the non-numerical parameters,
 - the significant decrease of the summary similarity of the numerical parameters as well as the decrease of values of the combined similarity, most in the case of application of the trapezoidal method, and least – in the case of Gaussian method. The same similar ships were searched out.
- In Case 2 the assumption of greater values of the upper limit and standard deviations and smaller values of the lower deviations of both selected parameters (ME output power and rotational speed) resulted in a relatively large decrease of the similarity values for all analyzed similarity calculation methods, however it was the greatest in the case of the triangular method, and the least – in the case of Gaussian one. This did not result in a change in searching out similar ships: the same similar ships were found.
- In Case 3 where symmetrical values of the limit and standard deviations of one parameter (ME output power) and smaller values of the lower limit and standard deviations, than upper values of other parameter (ME rotational speed), were assumed, the following was observed:
 - almost the same decrease of similarity value in the case of application of the trapezoidal and triangular functions,
 - the greatest decrease of similarity value in the case of application of Gaussian function,
 - no change of similarity value in the case of the function with lower limit. In the Case 1 a greater number of similar ships was selected than in the Case 1 and 2.

The above presented example cases illustrate that the algorithm is flexible in searching out similar ships. The

designer, by choosing values of weighing factors, is capable of searching out ships having one, strictly defined feature, or some purposefully emphasized.

Also, by correcting values of the standard and limit deviations, increasing or decreasing tolerance of calculated results can be achieved.

It is also possible, by proper choice of similarity function, to assess similarity within a given range of values, as well as to obtain distributions of sample size of ships.

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